

2D Plots

% Clears variables, command window, and closes all figures

```
clear, clc, close all
```

% Defines value of x and two functions

```
x = 0: .1 : 2*pi;
```

```
y1 = cos(x);
```

```
y2 = sin(x);
```

% Plots two functions with different style, and wider lines

```
plot(x,y1,'b', x, y2, 'r-', 'linewidth', 2)
```

% Activates the grid

```
grid on
```

% Defines limits for x and y axes, and sets title, labels and legends

```
axis([0 2*pi -1.5 1.5])
```

```
title('2D plots', 'fontsize', 12)
```

```
xlabel('angle')
```

```
ylabel('f1(x), f2(x)')
```

```
legend('cos(x)', 'sin(x)')
```

% Keeps figure on screen, in order to add a third function

```
hold on
```

% Defines another function

```
y3 = 0.5 * x;
```

% Plots over the previous figure

```
plot(x, y3, 'm')
```

Horizontal Lines and Vertical lines

% Initial vertical line

```
a = linspace(L_min, L_min, 10);
```

```
if d == 1
```

```
    b = linspace(y-r*.03, y, 10);
```

```
else
```

```
    b = linspace(y, y+r*.03, 10);
```

```
end
```

```
plot(a,b,'k-', 'linewidth', 1.5)
```

```
hold on
```

% Final vertical line

```
a = linspace(L_max, L_max, 10);
```

```
if d == 1
```

```
    b = linspace(y-r*.03, y, 10);
```

```
else
    b = linspace(y, y+r*.03, 10);
end
plot(a,b,'k-', 'linewidth', 1.5)
```

Now, we'll test our function with this script.

```
clear; clc; close all

x = 0 : 2*pi/360 : 2*pi;
y = sin(x);

plot(x,y)
grid on
xlabel('angle')
ylabel('sin(x)')
title('Plot showing horizontal and vertical lines')
hold on
plot_limit([0.8, 2.5, 0.4, 1, 2])
plot_limit([4, 5.4, -0.6, -1, 2])
```

Pie Plots

% Clears variables, command window, and closes all figures

```
clc; clear; close all
```

% These are the names of the slices

```
names = char('Region 1', 'Region 2', 'Distr. 3', 'Distr. 4');
```

% These are the numbers to be plotted

```
data = [1200, 500, 300, 120];
pie(data)
```

**% gtext('string') displays the graph window, puts up a
% cross-hair, and waits for a mouse button or keyboard
% key to be pressed.**

```
for i=1:4
    gtext(names(i,:));
end
title('Sales', 'fontsize', 15)
```

Histograms in Matlab

```
y = [1 1 2 2 2 3]
hist(y)
```

```
a = randn(15,1)
hist(a)
```

```
a =
-0.8468
-0.2463
0.6630
-0.8542
-1.2013
-0.1199
-0.0653
0.4853
-0.5955
-0.1497
-0.4348
-0.0793
1.5352
-0.6065
-1.3474
```

Comet Plot

% Clears variables, command window, and closes all figures

```
clc; clear; close all
```

% Generates 300 linearly spaced points from 0 to 8*pi

```
x = linspace(0, 8*pi, 300);
```

% Creates the formula to be plotted

% (it's a multiplication between vector 'x' and vector 'cos(x)')

```
y = x .* cos(x);
```

% Plot it!

```
comet(x, y, .6)
```

stem

% Avoid superimposed operations and close previous figs.

```
clc; clear; close all
```

% First, we define 51 values of our independent variable

```
x = 0 : 2*pi/50 : 2*pi;
```

% Second, we define the function to graph

```
y = exp(-x/3) .* sin(x);
```

% Third, we use the 'stem' function to plot discrete values

```
stem(x,y)
```

```
% We can add title and labels (as strings in arguments)
title('Demonstration of the -stem- function')
xlabel('angle x')
ylabel('f(x)')
```

```
x = 0 : 2*pi/20 : 2*pi;
```

logarithmic plot

```
clear; clc; close all
```

```
% Define your independent variable
t = 0 : 2*pi/360 : 2*pi;
```

```
% Define values along your x-axis
x = exp(t);
% Define values along your y-axis
y = 50 + exp(3*t);
```

```
% Plot your function with a wider line and grid the figure
loglog(x, y, 'LineWidth', 2)
grid
```

```
% Use a title for the figure
title('Demonstration of logarithmic plots')
```

```
% Label your x-axis with a double line.
% Note the special characters
xlabel(['e^{t}'; {'0 \leq t \leq 2\pi'}])
```

```
% Label your y-axis
ylabel('50 + e^{3t}')
```

Polar Plots

```
t = 1 : 5;
r = t .* exp(i * t * 36 * (pi/180));
compass(r)
```

```
t = 0 : 2*pi/100 : 2*pi;
r = 1 - sin(t);
polar(t, r)
```

```
t = 0 : 2*pi/100 : 2*pi;
r = sqrt(abs(sin(3*t)));
polar(t,r)
```

```
angle_vector = angle(exp(i*randn(1, 500))) + pi/2;
rose(angle_vector)
```

Gaussian distribution

```

a = -100; b = 100;
x = a + (b-a) * rand(1, 500);
m = (a + b)/2;
s = 30;

f = gauss_distribution(x, m, s);
plot(x,f, '.')
grid on
title('Bell Curve')
xlabel('Randomly produced numbers')
ylabel('Gauss Distribution')

```

Simple Animation in Matlab

```

% Define number of frames
nr_fr = 10;
% Initialize matrix using 'moviein'
frames = moviein(nr_fr);

% Generate frames with any plotting function.
% We use a cosine with variable frequency.
t = 0 : .01 : 6;
f = 1;
for i = 1 : nr_fr
    f = f * 1.25; w = 2 * pi * f;
    y = cos(w*t);
    plot(t, y);
    title('Recording movie...')
    % Get every frame with 'getframe' and load the appropriate % matrix.
    frames(:, i) = getframe;
end

% Save the matrix so that this movie can be loaded later
save frames

% Play the movie once, 2 FPS.
title('Movie being played back...')
movie(frames, 1, 2)

```

Impulse function

```

function y = dd1(n)
% Our default value is 0
y = 0;

% The function is 1 only if the input is 0
if n == 0
    y = 1;
end

```

Let's find the appropriate output for this vector:

```
n = -2 : 2
```

We use our function above ('dd1') like this:

```
for i = 1 : length(n)
    f(i) = dd1(n(i));
end
stem(n, f)
axis([-3 3 -.5 1.5])
xlabel('n')
ylabel('Impulse Function')
```

Now, let's assume another vector:

```
n = [1 2 3 0 2 5 0 1]
```

We can use our function 'dd1' to find the delta function output:

```
for i = 1 : length(n)
    f(i) = dd1(n(i));
end
stem(f)

function y = dd(x)
% x is a vector
% We create an output vector of only 0 (our default value)
y = zeros(1, length(x));

% We find indexes of input values equal to 0,
% and make them 1
y(find(x==0)) = 1;
```

We **don't need a loop** now, so our process has been simplified a lot.

```
n = [1 2 3 0 2 5 0 1]
f = dd(n)
```

The result is:

```
f = 0    0    0    1    0    0    1    0
```

If we want to calculate $y = 4\delta(n) + 3\delta(n-2)$, in a range of integers that go from -10 to 10, we can do simply this:

```
n = -10 : 10
y = 4*dd(n) + 3*dd(n-2)
```

```
stem(n, y)
xlabel('n')
ylabel('Delta Function')
```

Heaviside Unit Step Function

```
% We iterate from -5 to 5 using only integers
for n = -5 : 5
    y = step_fun(n);
    stem(n, y)
    hold on
end
% We adjust our axis values just to visualize better
axis([-5 5 -1 2])

n = -5 : 5;
y = heaviside(n);
stem(n, y)
axis([-5 5 -1 2]) n = -10 : 10;
y = 4 * heaviside(n) + 3*heaviside(n-2);
stem(n, y)
axis([-15 15 -1 8])
```

Periodic function

```
clear, clc, close all

x = -8 : .01 : 8;
y = sq_w(x);
plot(x,y)
axis([-8 8 -1.5 1.5])
xlabel('x')
ylabel('Square Wave')
```

```
clear, clc, close all

x = -6 : .01 : 6;
y = sawtooth_w(x);
plot(x, y)
axis([-6 6 -1.5 1.5])
xlabel('x')
ylabel('Sawtooth Wave')
```

2D drawing

```
fplot('x.*cos(5*x)',
[0 4*pi])
```

```
x=0 : .01 : 2*pi;  
semilogy(x,exp(2*x))
```

```
t = 0 : .01 : pi;  
x = exp(2*t);  
y = 50+exp(t);  
loglog(x,y)  
grid
```

```
t=0 : .01 : 2*pi;  
r=sqrt(abs(sin(3*t)));  
polar(t,r)
```

```
x = 0 : 10;  
y = 2*x+3;  
bar(x,y)
```

```
x = 1:.1:10;  
y1=exp(-2*x).*cos(x);  
y2=exp(2*x);  
H =plotyy(x,y1,x,y2);  
h1=get(H(1),'ylabel');  
h2=get(H(2),'ylabel');  
set(h1,'string','fun y1');
```

```
set(h2,'string','fun y2');
```

```
x = -2*pi:.01:2*pi;
```

```
y = sin(x)./x;
```

```
area(x,y)
```

```
dat = [5 5 20 30 40];
```

```
pie(dat)
```

```
y = 20*rand(1,10);
```

```
hist(y)
```

```
t = -3*pi : 3*pi;
```

```
y = cos(t)-2*sin(t);
```

```
stem(t,y)
```

```
x = 1 : 10;
```

```
y = 2*x;
```

```
stairs(x,y)
```

```
t = 0 : pi/6 : pi;
```

```
x = cos(t);
```

```
y = i*sin(t);
```

```
z = x + y;
```

```
compass(z)
```

```
X = -3 : .1 : 3;
```

```
[x,y]=meshgrid(X,X);  
z = -x^2 + 2*x.*y + y^2;  
pl=contour(x,y,z);  
clabel(pl)
```